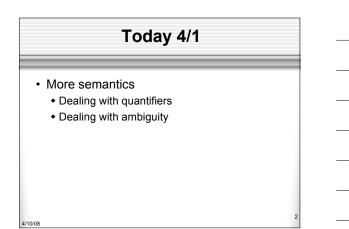
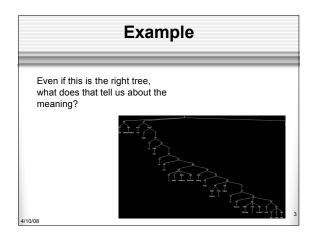
# CSCI 5832 Natural Language Processing

Jim Martin Lecture 19

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## **Meaning Representations**

- We're going to take the same basic approach to meaning that we took to syntax and morphology
- We're going to create representations of linguistic inputs that capture the meanings of those inputs.
- But unlike parse trees and the like these representations aren't primarily descriptions of the structure of the inputs...

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### **Meaning Representations**

 In most cases, they're simultaneously descriptions of the meanings of utterances and of some potential state of affairs in some world.

# **Meaning Representations**

- What could this mean...
  - representations of linguistic inputs that capture the meanings of those inputs
- · For us it means
  - Representations that permit or facilitate semantic processing

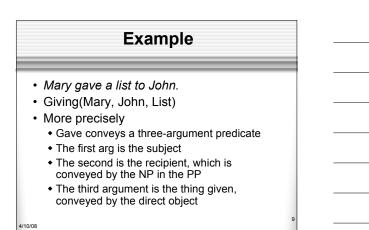
### **Representational Schemes**

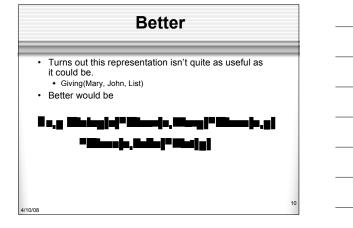
- We're going to make use of First Order Logic (FOL) as our representational framework
  - Not because we think it's perfect
  - Many of the alternatives turn out to be either too limiting or
  - They turn out to be notational variants

# FOL Allows for... The analysis of truth conditions Allows us to answer yes/no questions Supports the use of variables Allows us to answer questions through the use of variable binding Supports inference

 Allows us to answer questions that go beyond what we know explicitly

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### **Predicates**

The notion of a predicate just got more complicated...
In this example, think of the verb/VP providing a template like the following

او، مز محملا کی باز مسک کو، بزدها کر بزواه کی و و د ا

• The semantics of the NPs and the PPs in the sentence plug into the slots provided in the template

# **Semantic Analysis**

- Semantic analysis is the process of taking in some linguistic input and assigning a meaning representation to it.
  - There a lot of different ways to do this that make more or less (or no) use of syntax
  - We're going to start with the idea that syntax does matter
    - The compositional rule-to-rule approach

# **Compositional Analysis**

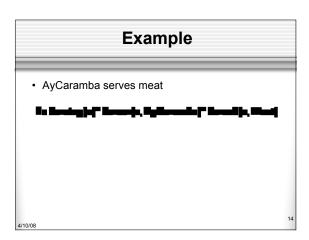
- Principle of Compositionality
  - The meaning of a whole is derived from the meanings of the parts
- What parts?

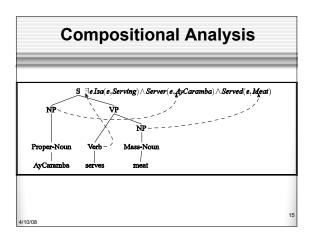
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• The constituents of the syntactic parse of the input

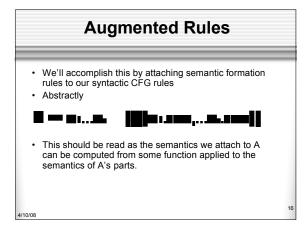
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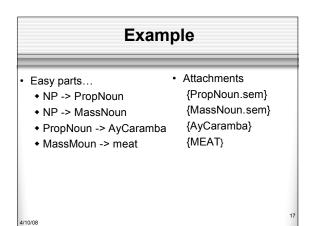
• What could it mean for a part to have a meaning?

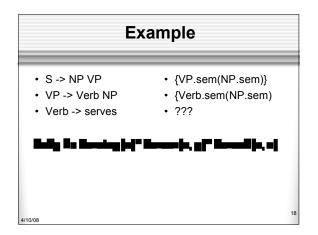




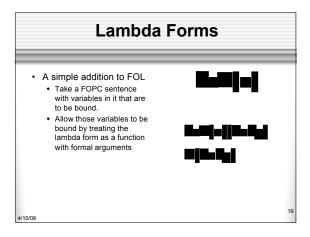




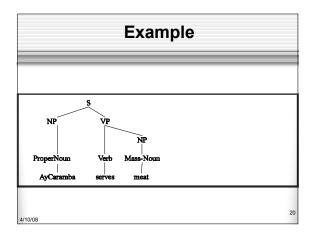


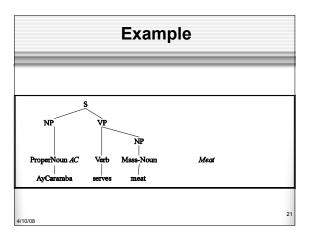




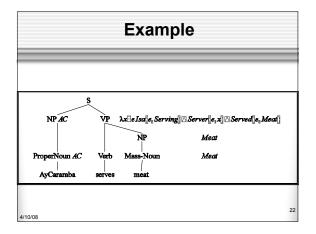




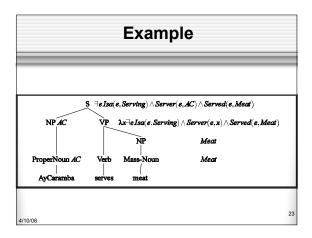














Two basic approaches

- Integrate semantic analysis into the parser (assign meaning representations as constituents are completed)
- Pipeline... assign meaning representations to complete trees only after they're completed

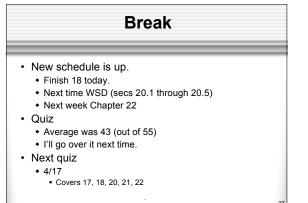


From BERP
I want to eat someplace near campus
Two parse trees, two meanings

# **Pros and Cons**

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- If you integrate semantic analysis into the parser as its running...
  - You can use semantic constraints to cut off parses that make no sense
  - You assign meaning representations to constituents that don't take part in the correct (most probable) parse



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### Quantifiers

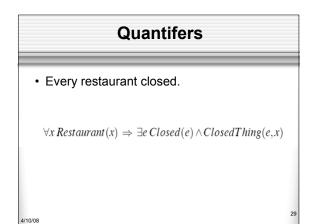
- Unfortunately, things get a bit more complicated when we start looking at more complicated NPs.
  - The previous examples simplified things by only dealing with constants (FOL Terms). That is things that can be plugged into FOL predicates. What about...

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- A menu
- Every restaurant etc
- Not every waiter

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# Quantifiers

Roughly "every" in an NP like this is used to stipulate something about every member of the class. The NP is specifying the class. And the VP is specifying the thing stipulate.... So the NP is a template like.

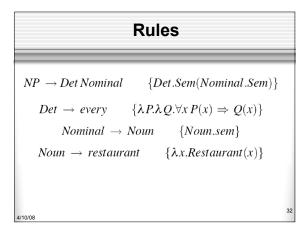
$$\forall x \operatorname{Restaurant}(x) \Rightarrow Q(x)$$

Quantifiers

 • But that's not combinable with anything so wrap a lambda around it...

 
$$\lambda Q. \forall x Restaurant(x) \Rightarrow Q(x)$$

....



# Example

$$\lambda P.\lambda Q. \forall x P(x) \Rightarrow Q(x)(\lambda x. Restaurant(x))$$

$$\lambda Q. \forall x \ \lambda x. Restaurant(x)(x) \Rightarrow Q(x)$$

$$\lambda Q. \forall x \operatorname{Restaurant}(x) \Rightarrow Q(x)$$

