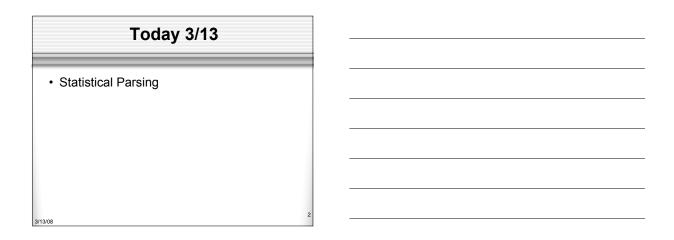
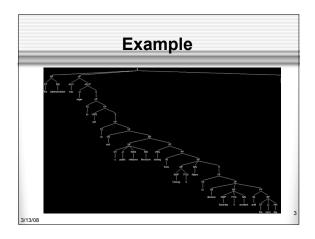
CSCI 5832 Natural Language Processing

Jim Martin Lecture 17

3/13/08



1





Probabilistic CFGs

- The probabilistic model
 - Assigning probabilities to parse trees
- · Getting the probabilities for the model
- · Parsing with probabilities
 - Slight modification to dynamic programming approach
 - Task is to find the max probability tree for an input

Basic Probability Model

- A derivation (tree) consists of the bag of grammar rules that are in the tree
- The probability of a tree is just the product of the probabilities of the rules in the derivation.

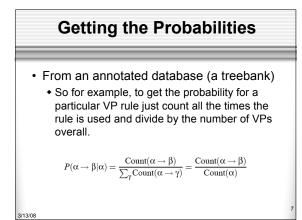
$$P(T,S) = \prod_{node \in T} P(rule(n))$$

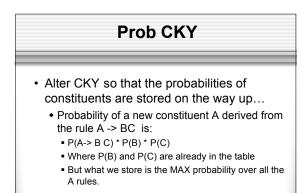
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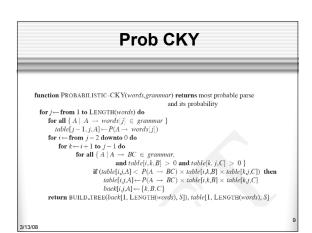
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Probability Model (1.1)

- The probability of a word sequence (sentence) is the probability of its tree in the unambiguous case.
- It's the sum of the probabilities of the trees in the ambiguous case.
- Since we can use the probability of the tree(s) as a proxy for the probability of the sentence...
 PCFGs give us an alternative to N-Gram models as a kind of language model.







Problems with PCFGs

- The probability model we're using is just based on the rules in the derivation...
 - Doesn't use the words in any real way
 - Doesn't take into account where in the derivation a rule is used
 - Doesn't really work

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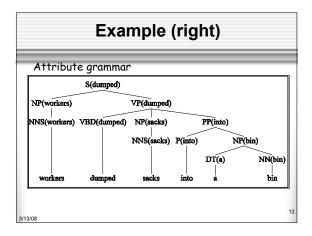
 Most probable parse isn't usually the right one (the one in the treebank test set).

Solution 1

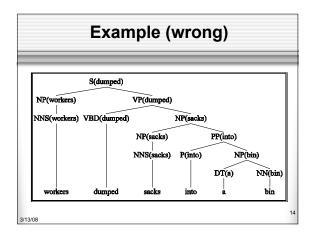
- Add lexical dependencies to the scheme...
 - Infiltrate the predilections of particular words into the probabilities in the derivation
 - I.e. Condition the rule probabilities on the actual words

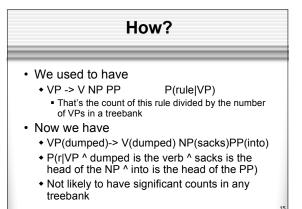
Heads

- To do that we're going to make use of the notion of the head of a phrase
 - The head of an NP is its noun
 - The head of a VP is its verb
 - The head of a PP is its preposition
 - (It's really more complicated than that but this will do.)









Declare Independence

- When stuck, exploit independence and collect the statistics you can...
- We'll focus on capturing two things
 - Verb subcategorization
 - Particular verbs have affinities for particular VPs
 - Objects affinities for their predicates (mostly their mothers and grandmothers)
 - Some objects fit better with some predicates than others

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Subcategorization

 Condition particular VP rules on their head... so r15: VP -> V NP PP P(r|VP) Becomes P(r15 | VP ^ dumped)

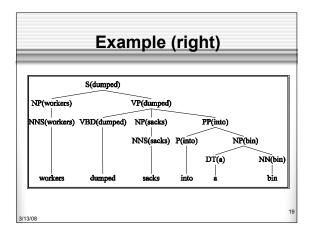
What's the count?

How many times was this rule used with dump, divided by the number of VPs that dump appears in total

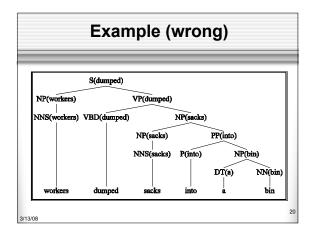
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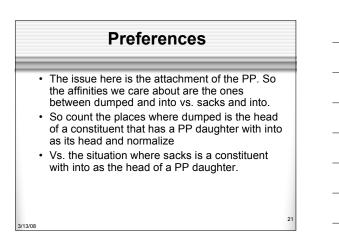
- Verb subcategorization captures the affinity between VP heads (verbs) and the VP rules they go with.
 - That is the affinity between a node and one of its daughter nodes.
- What about the affinity between VP heads and the heads of the other daughters of the VP
- Back to our examples...

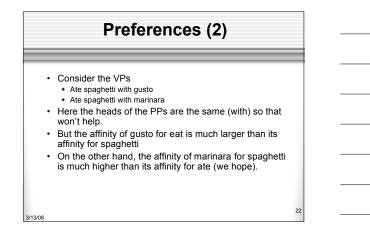
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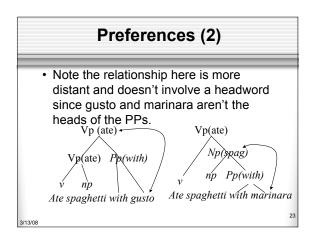




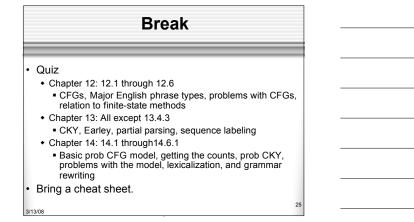


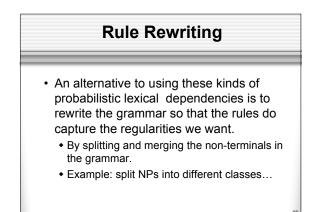






Note	
 In case someone hasn't pointed this out yet, this lexicalization stuff is a thinly veile attempt to incorporate semantics into the syntactic parsing process Duhh, Picking the right parse requires the use of semantics. 	
3/13/08	24





NPs	
 Our CFG rules for NPs don't condition on where the rule is applied (they're context- free remember) 	
 But we know that not all the rules occur with equal frequency in all contexts. 	
Pronoun Non-Pronoun	
Subject 91% 9%	
Object 34% 66%	
	27

Other Examples

- · Lots of other examples like this in the TreeBank
 - Many at the part of speech level
 - Recall that many decisions made in annotation efforts are directed towards improving annotator agreement, not towards doing the right thing.
 - Often this involves conflating distinct classes into a larger class • TO, IN, Det, etc.

28

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Rule Rewriting

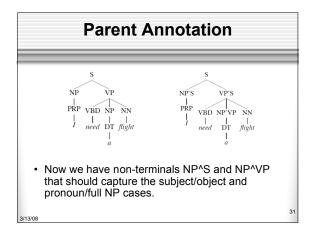
- · Three approaches
 - Use linguistic intuitions to directly rewrite rules NP_Obj and the NP_Subj approach
 - Automatically rewrite the rules using context to capture some of what we want
 - le. Incorporate context into a context-free approach
 - Search through the space of rewrites for the grammar that maximizes the probability of the training set

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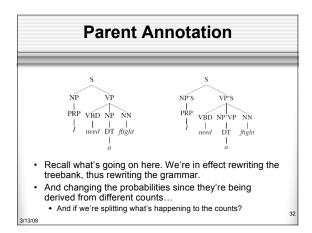
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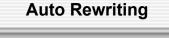
Local Context Approach

- · Condition the rules based on their parent nodes
 - · This splitting based on tree-context captures some of the linguistic intuitions









- If this is such a good idea we may as well apply a learning approach to it.
- Start with a grammar (perhaps a treebank grammar)
- Search through the space of splits/merges for the grammar that in some sense maximizes parsing performance on the training/development set.

Auto Rewriting

Basic idea...

- Split every non-terminal into two new non-terminals across the entire grammar (X becomes X1 and X2).
- Duplicate all the rules of the grammar that use X, dividing the probability mass of the original rule almost equally.
- Run EM to readjust the rule probabilities
- Perform a merge step to back off the splits that look like they don't really do any good.

Last Point

- Statistical parsers are getting quite good, but its still quite silly to expect them to come up with the correct parse given only statistically massage syntactic information.
- But its not so crazy to think that they can come up with the right parse among the top-N parses.
- Lots of current work on
 Re-ranking to make the top-N list even better.

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3/13/08

Evaluation

- So if it's unreasonable to expect these probabilistic parsers to get the right answer what can we expect from them and how do we measure it.
- Look at the content of the trees rather than the entire trees.
 - Assuming that we have gold standard trees for test sentences



Precision

- What fraction of the sub-trees in our parse matched corresponding sub-trees in the reference answer
- How much of what we're producing is right?
- Recall

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- What fraction of the sub-trees in the reference answer did we actually get?
 - How much of what we should have gotten did we get?

37

Evaluation • Crossing brackets Parser hypothesis $(A \ B \ C)$ $(A \ B \ C)$ $(A \ (B \ C))$ $(A \ (B \ C))$ $(A \ (B \ C))$ $(A \ (B \ C))$

